



# Urban regional precipitation simulations - comparison of pseudo-global-warming with local forcing

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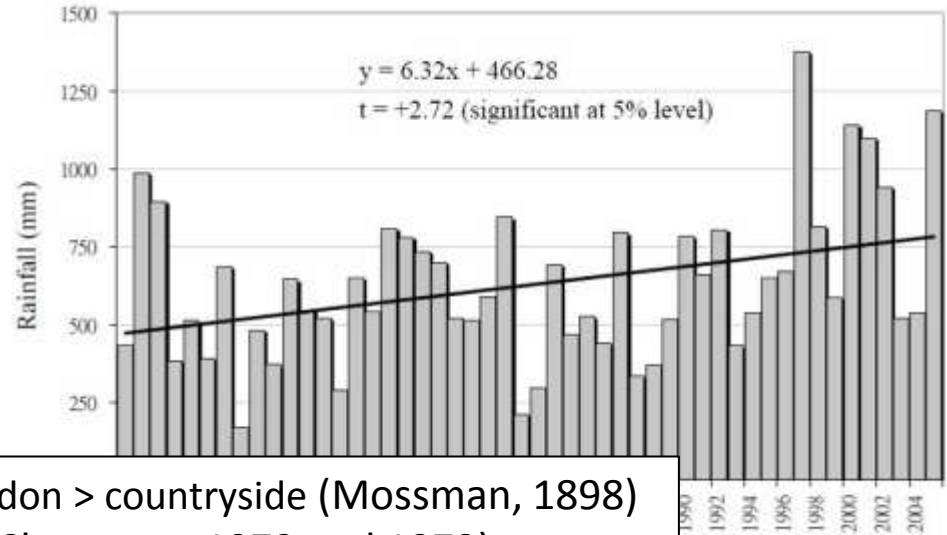


# Local Measurements

## Rainfall observations

(HK, Singapore)

Heavy rainfall  $\uparrow$   
 trend(urban)  $\neq$  trend(rural)  
 urban increase > rural increase



Question: Why

Lightning frequency London > countryside (Mossman, 1898)  
 METROMEX (Huff and Changnon, 1972 and 1973):  
 Downstream effects in St. Louis  $\approx$  60km downstream

Vong et al., 2010

## Hypothesis 1)

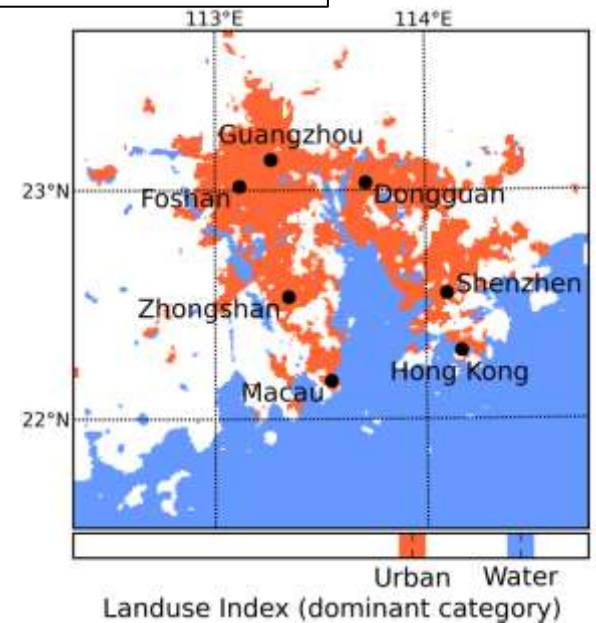
Air pollution  
 Aerosols and nucleation

## Hypothesis 2)

Human activity and buildings  
 Dynamics and thermodynamics

## Hypothesis 3)

Climate Change

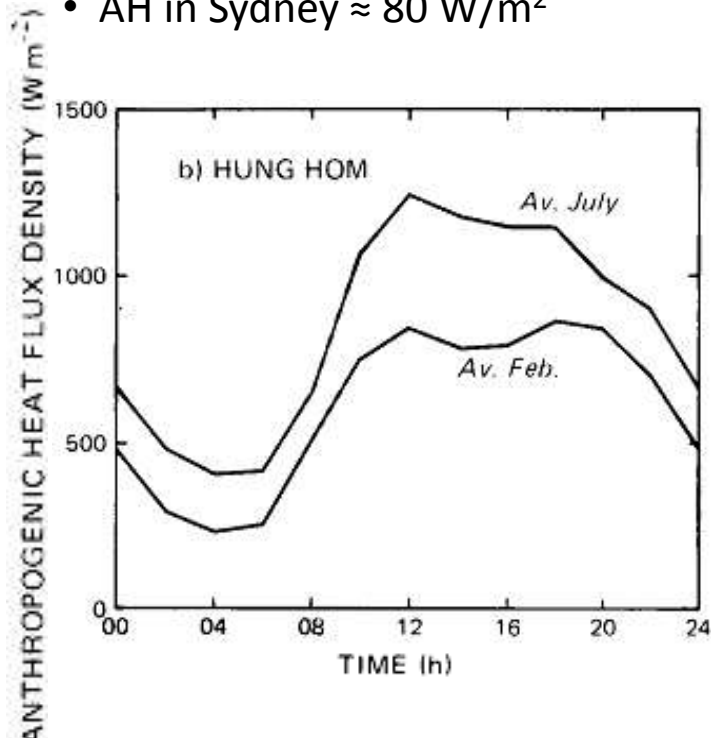


Holst et al., 2016

# Concepts

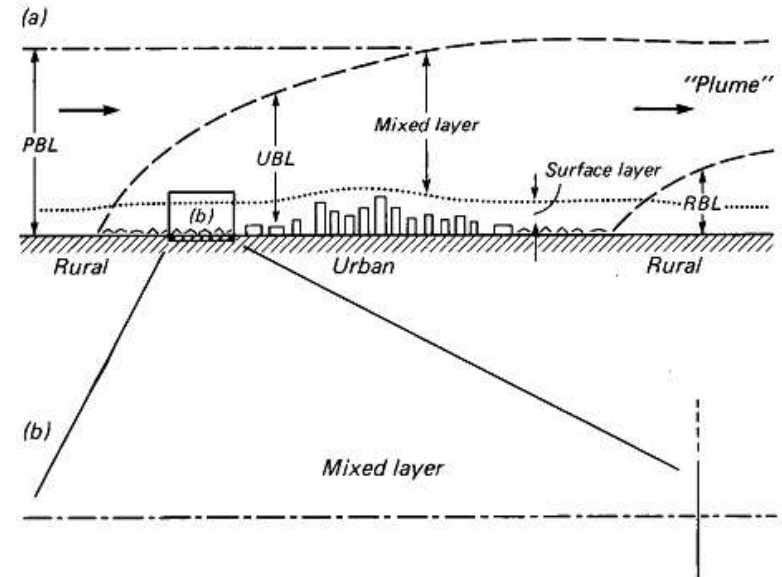
Oke (1988):

- AH in Hong Kong  $>1\text{k W/m}^2$
- AH in Sydney  $\approx 80\text{ W/m}^2$



Oke (1987):

- UBL downstream of city, "plume"



"The highest individual grid cell heat fluxes in urban areas were located in New York ( $577\text{ Wm}^{-2}$ ), Paris ( $261.5\text{ Wm}^{-2}$ ), Tokyo ( $178\text{ Wm}^{-2}$ ), San Francisco ( $173.6\text{ Wm}^{-2}$ ), Vancouver ( $119\text{ Wm}^{-2}$ ) and London ( $106.7\text{ Wm}^{-2}$ ). " from Allen et al., 2011



# Experiments

“Hindcast” parametric studies of monsoon trough

Human Activities:

Anthropogenic heat (AH) (Holst et al., 2016)

Land surface changes:

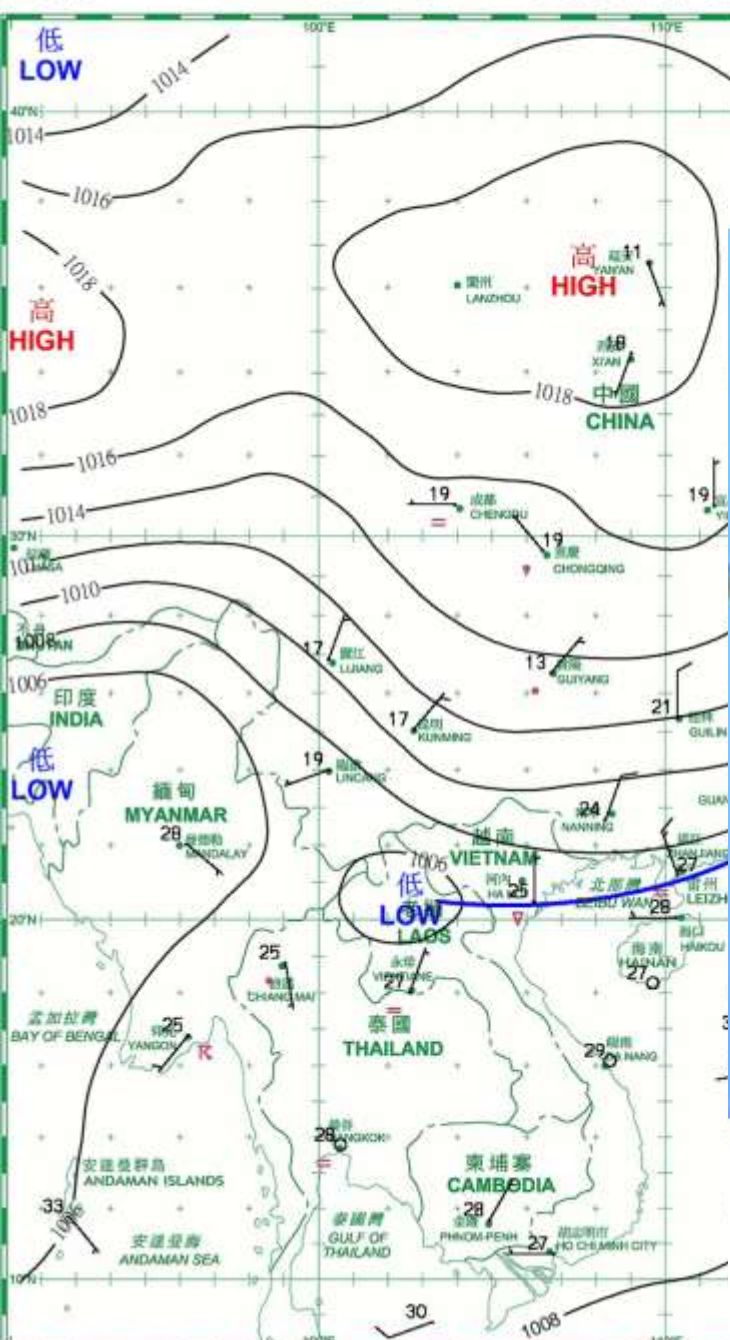
Urban spatial extent (Holst et al., 2017)

Large scale forcing:

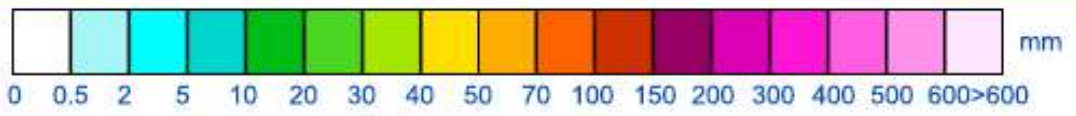
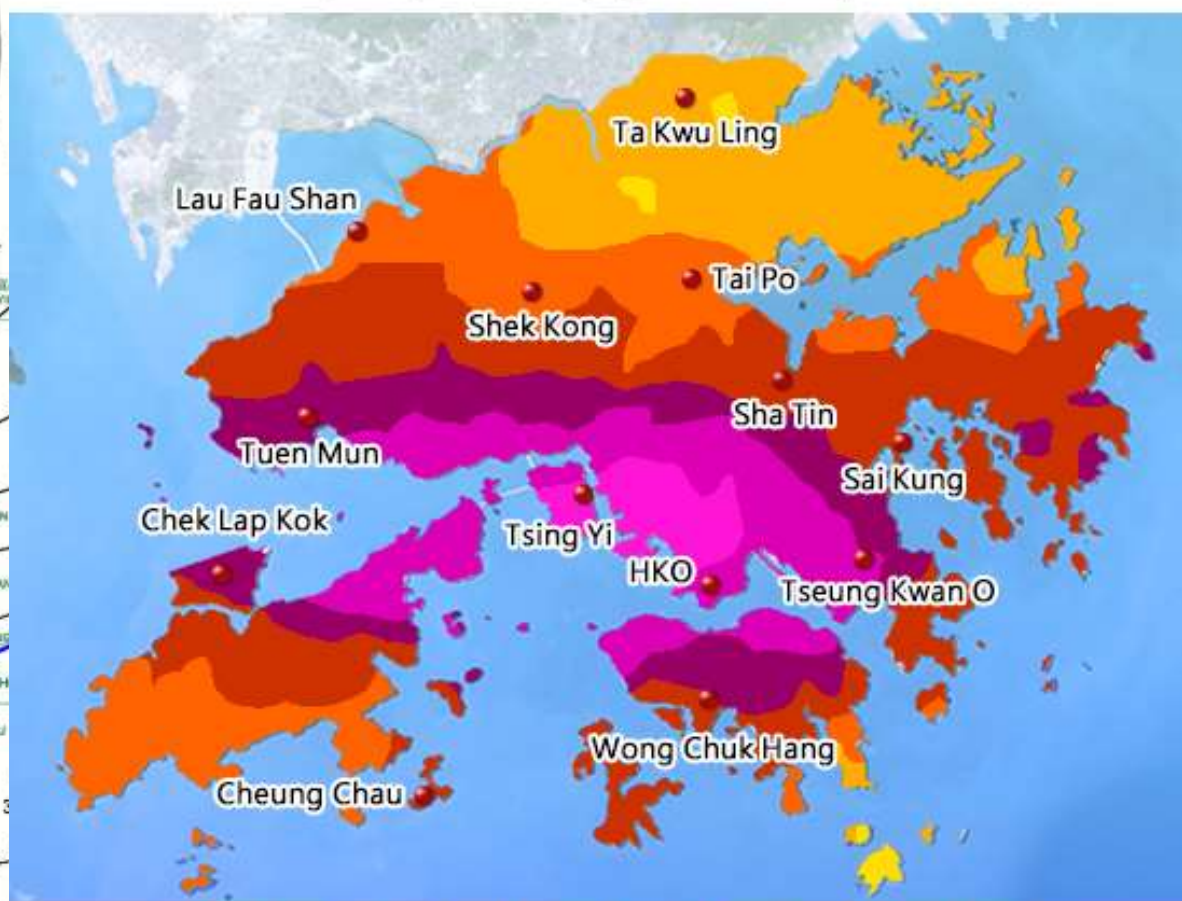
Moisture background state







Total rainfall on **24-May-2017** (based on raingauges and radar data)



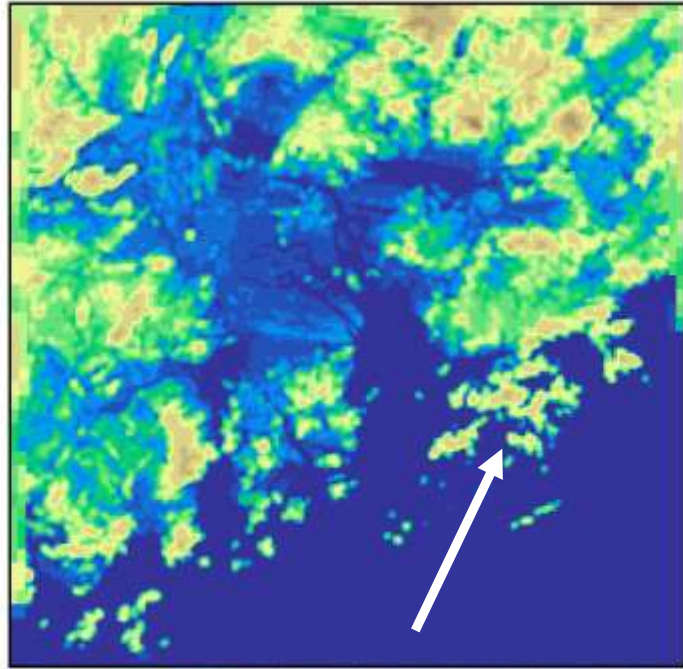
# Model Setup

+/- 6h Ensemble

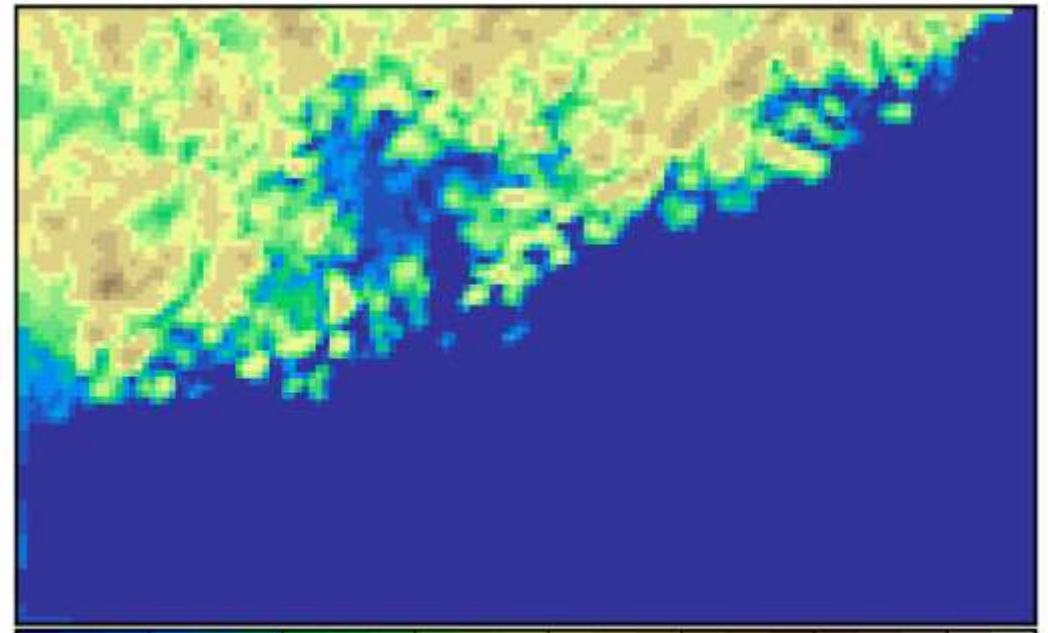
Simulation	00 GMT July 5 2008	00 GMT July 9 2008	
Model	WRF model version 3.5.1		
Domains	25x25 km <sup>2</sup>	5x5 km <sup>2</sup>	1x1 km <sup>2</sup>
Grids	310x200x51	151x91x51	241x231x51
Cumulus	New simplified Arakawa-Schubert scheme (NSAS)		
PBL	Bougeault-Lacarerre (BouLac) [modified]		
Cloud microphysics	WRF Single Moment 6 class scheme (WSM6)		
Radiative transfer	Rapid Radiative Transfer Model for global simulations (RRTMG)		
Land surface	Unified NOAH land surface model (unified NOAH LSM)		
Urban physics		Single layer urban canopy model (UCM)	
Forcing data	NCEP final reanalysis (FNL) (FDDA > 1400x1200 km <sup>2</sup> )		

# Domain

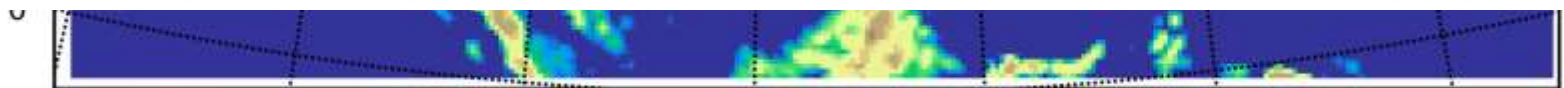
70°E 80°E 90°E 100°E 110°E 120°E 130°E 140°E 150°E



0 14 30 75 200 750 2000 4000  
Model Topography Height[m]



0 14 30 75 200 750 2000 4000  
Model Topography Height[m]



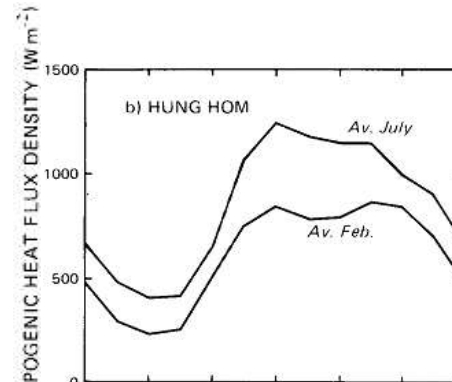
0 10 50 100 500 1000 2500 5000  
Model Topography Height [m]



# Human activity effects

Surface sensible heat flux

$$S = S_{LSM} + \psi(t) \times AH$$

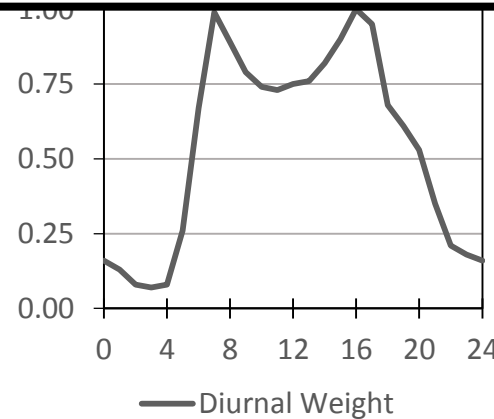


Oke, 1988

Chose simplest available urban representation

Constant = 0, 50, 100, 250, 500, 1000  $Wm^{-2}$

True value probably:  
 $250 Wm^{-2} < AH < 500 Wm^{-2}$



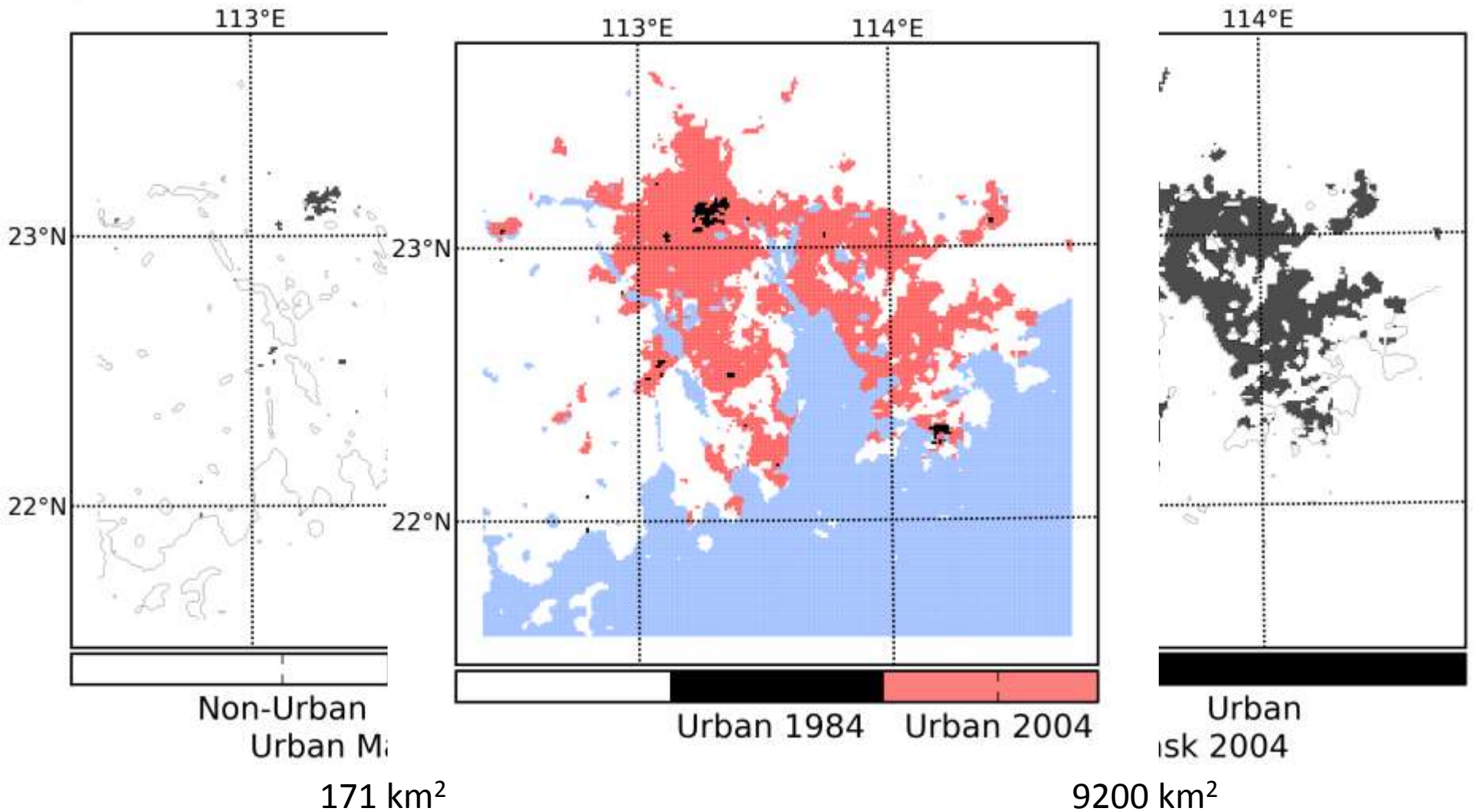
Numerical Experiment

Compared to LUCY simulations of PolyU#:  
 $300 Wm^{-2} < AH < 450 Wm^{-2}$

# Poster on display in HK Science Museum, 2014



# Drastic urbanisation effects

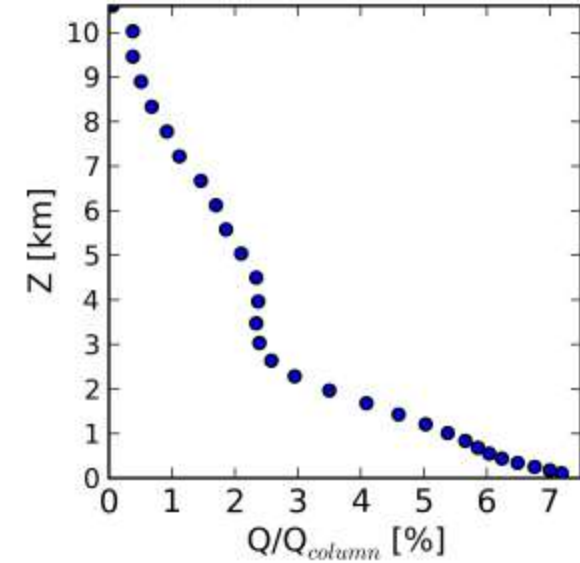


# Large scale forcing effects

Change moisture by  $\pm 10\%$

Compare effect to AH effect:

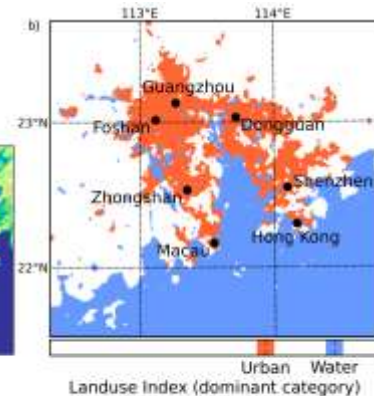
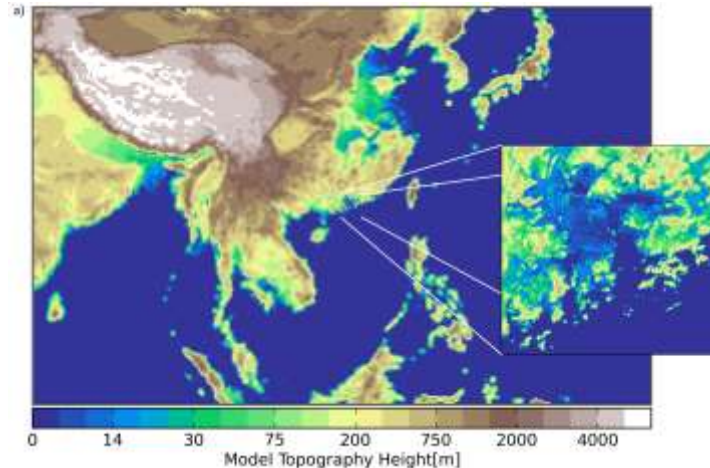
“Climate change” against local forcing



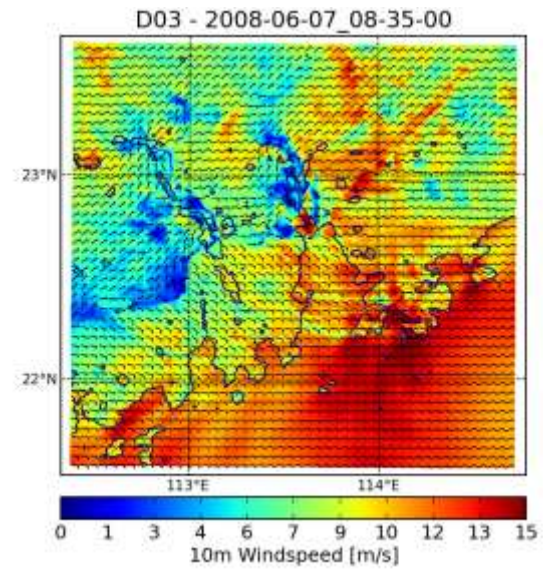
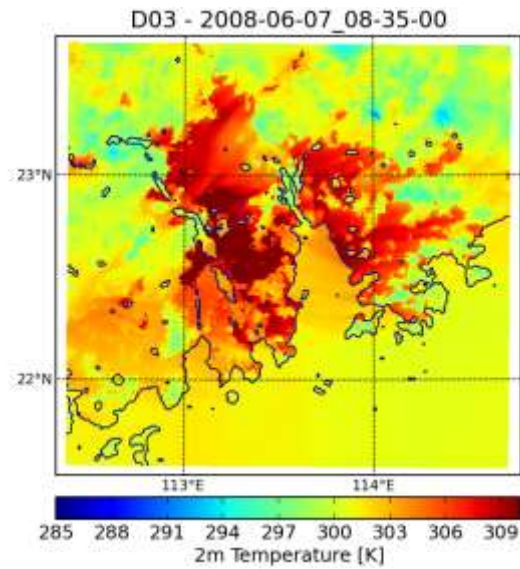
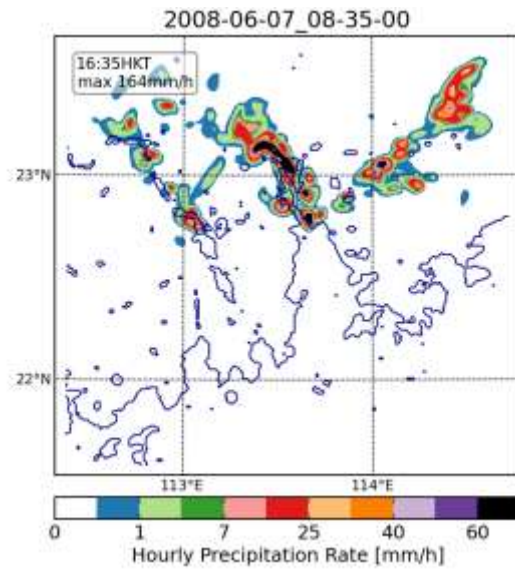
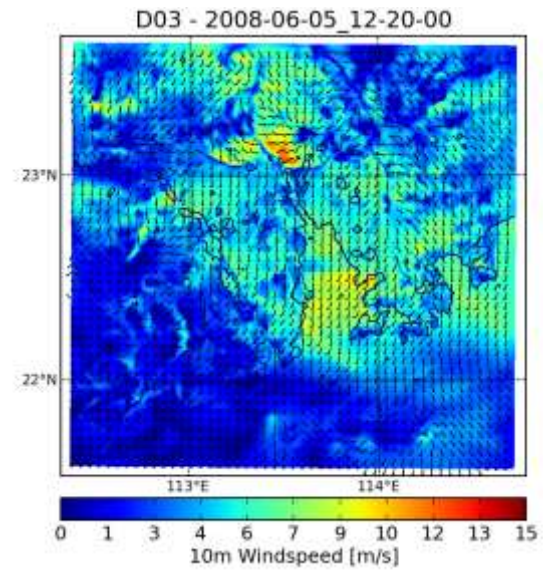
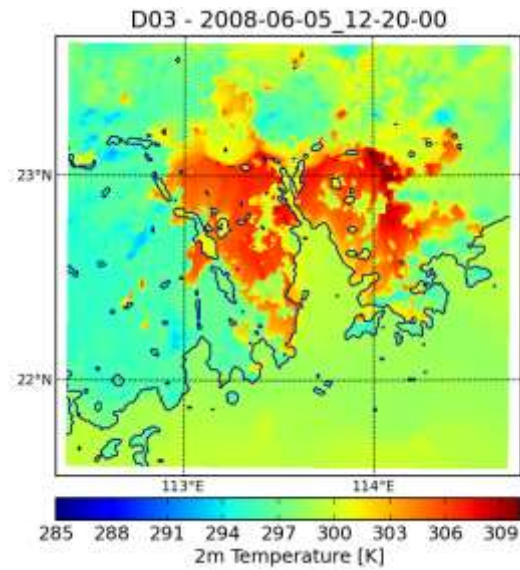
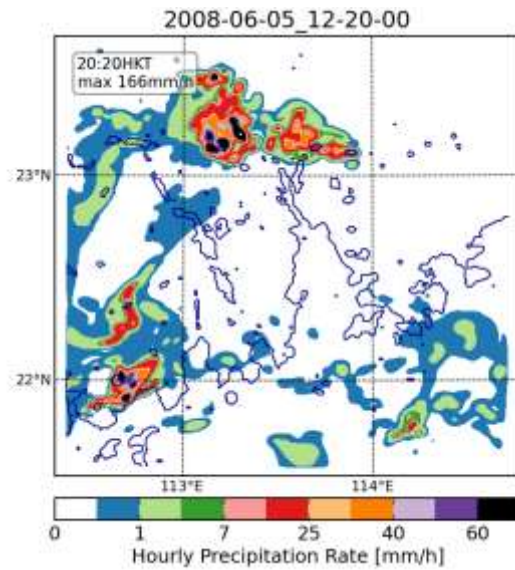
Clausius Clapeyron ratio

$$\frac{de_s}{e_s} = \frac{L_v dT}{R_v T^2} \approx \frac{2.5 \times 10^6 \times 1}{461 \times 300^2} \approx 6\%$$

$$\pm 10\% Q \approx \pm 1.66K$$



# Snapshots



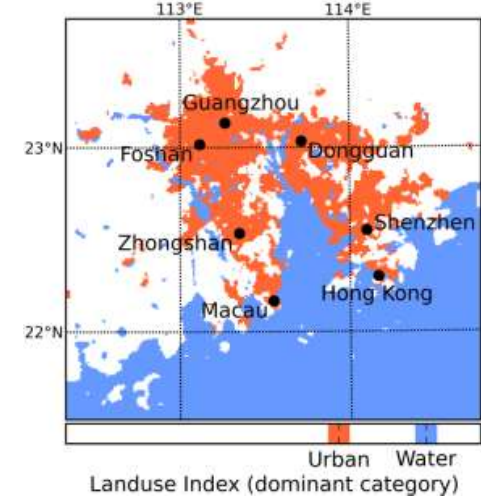


# Human Activity

Heavier, urban rainfall is affected more than weaker rainfall

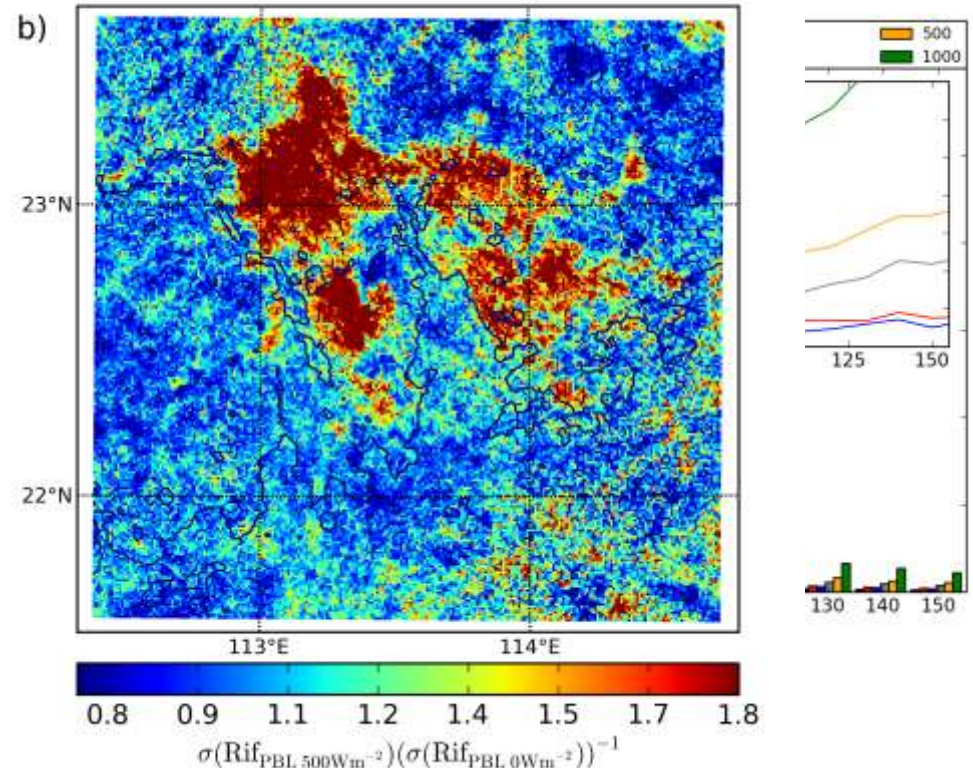
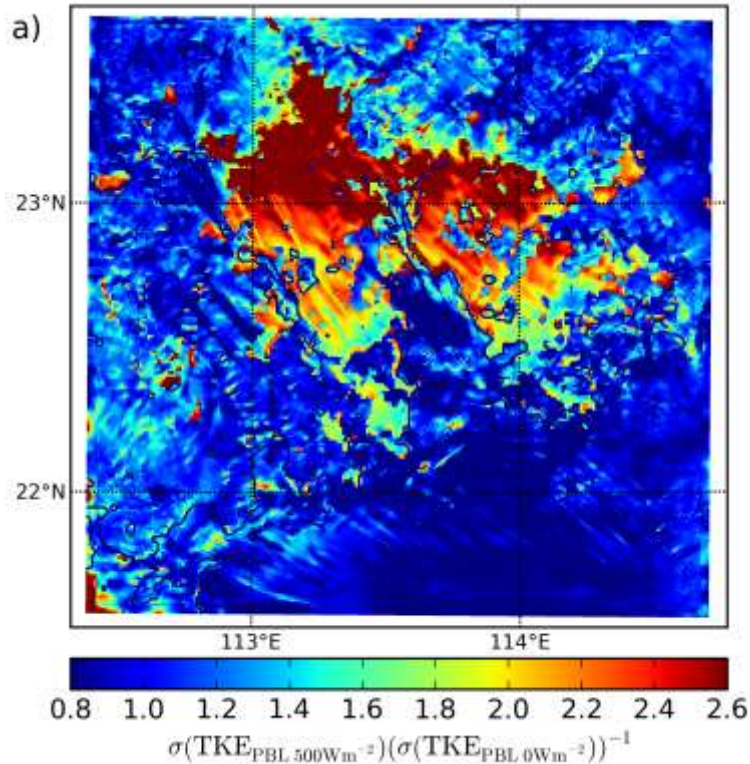
Effects noticeable for AH > 100 Wm<sup>-2</sup>

Due to convection behaviour

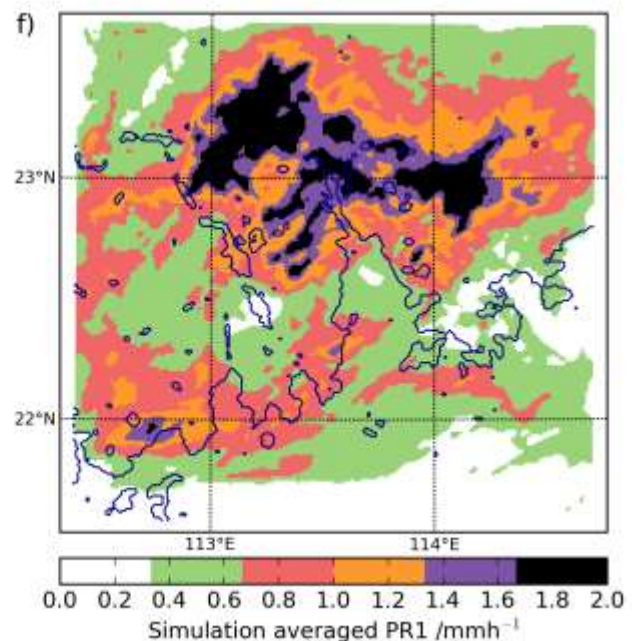
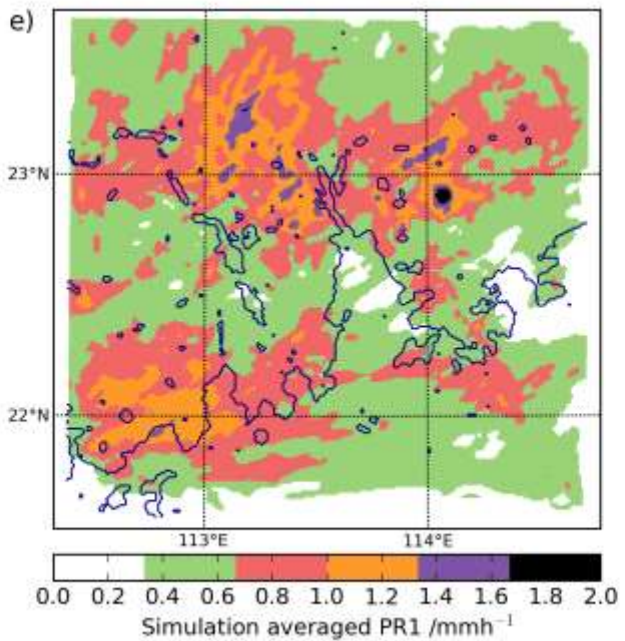
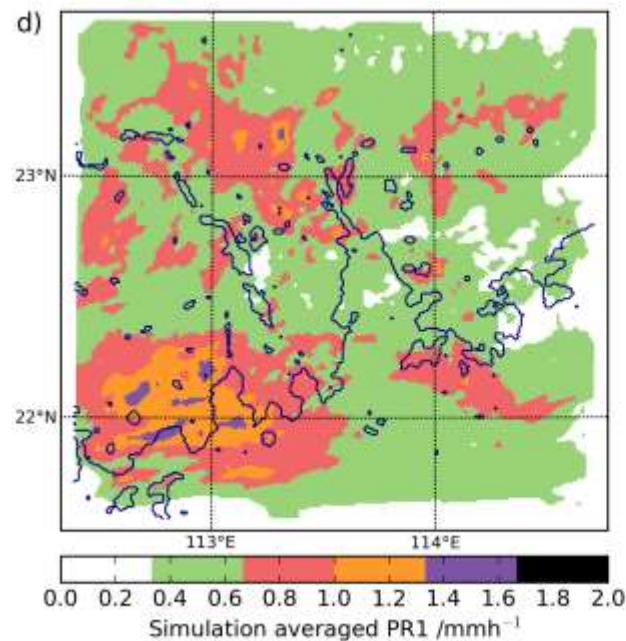
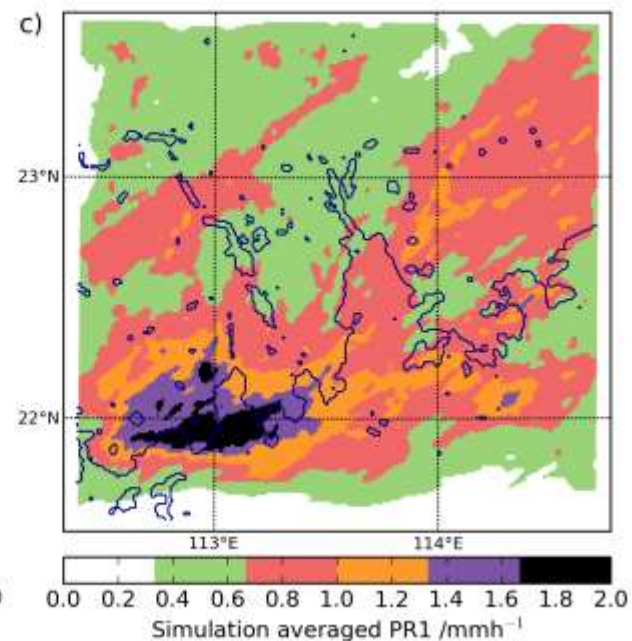
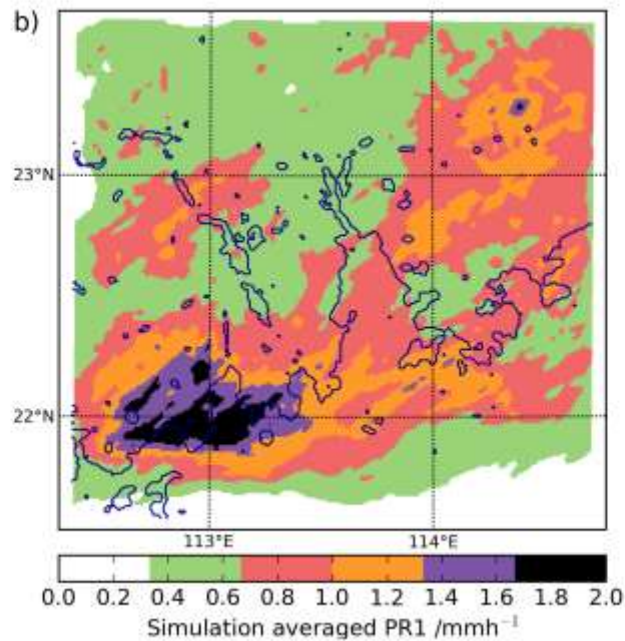
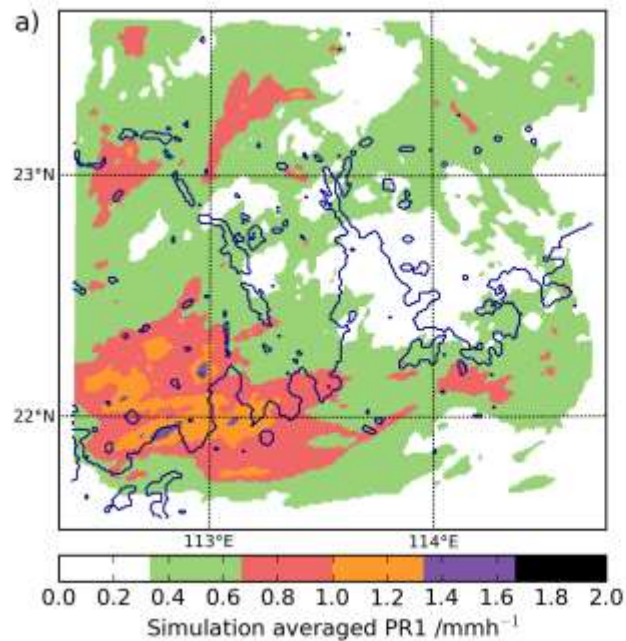


$$Rif = \frac{\beta \overline{w' \theta'}}{\frac{\partial \bar{u}}{\partial z} \overline{w' u'} + \frac{\partial \bar{v}}{\partial z} \overline{w' v'}}$$

$$\sigma_t(Rif_{PBL}(x, y, t))(x, y) = \sigma_t \left( \frac{1}{H} \int_0^H Rif(x, y, z, t) dz \right)$$



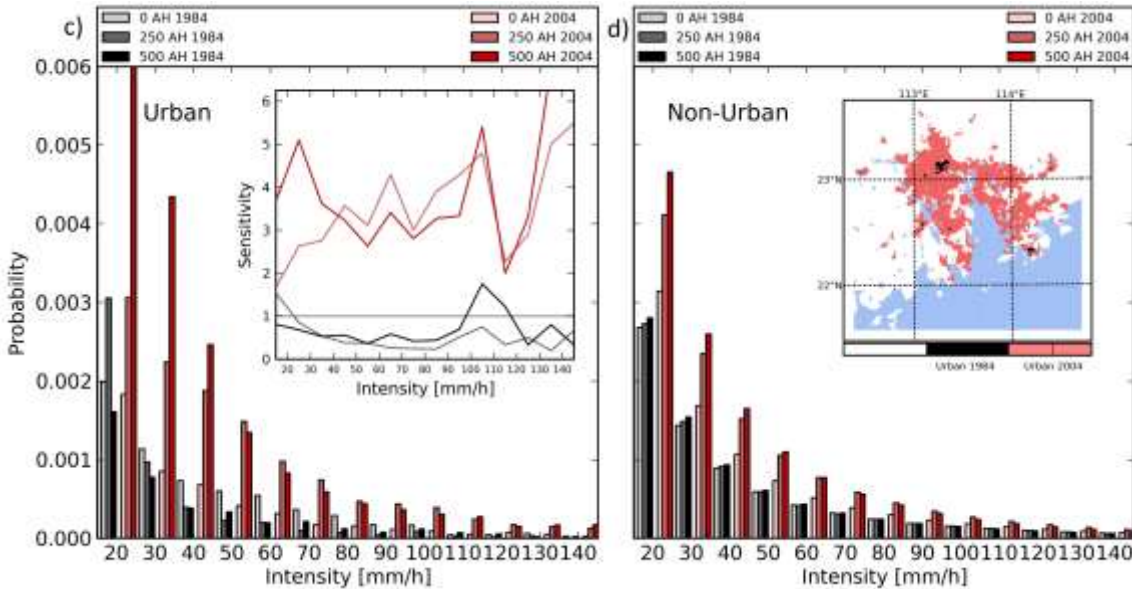
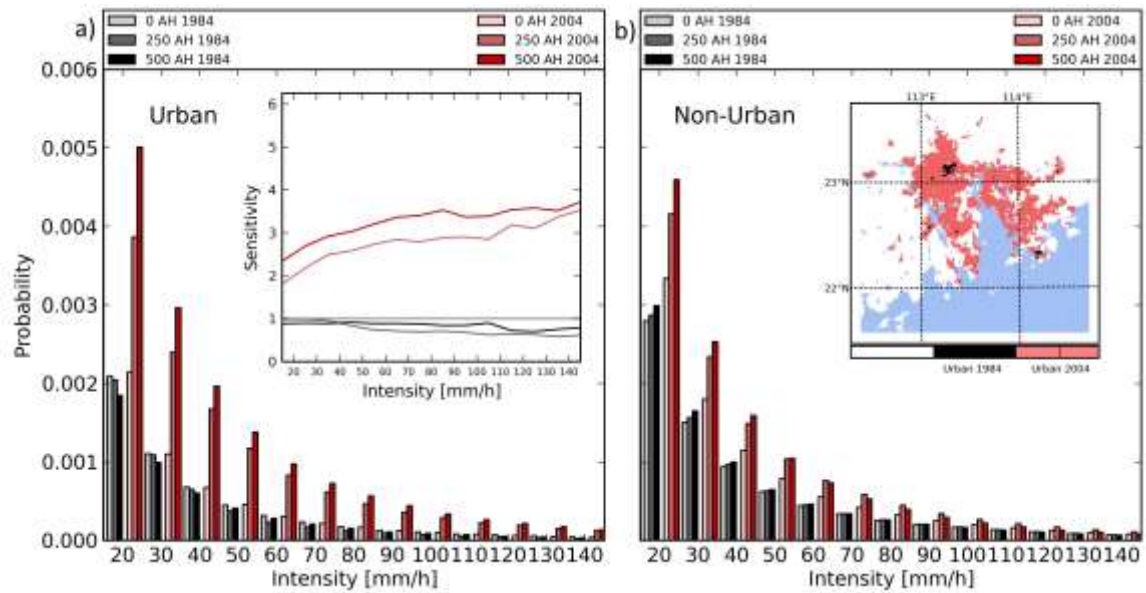


$0 \text{ Wm}^{-2}$  $50 \text{ Wm}^{-2}$  $100 \text{ Wm}^{-2}$  $250 \text{ Wm}^{-2}$  $500 \text{ Wm}^{-2}$  $1 \text{ kWm}^{-2}$

# Urbanisation

If urban area is small, the AH effect reverses (METROMEX)

Less energy release  
Less buoyancy



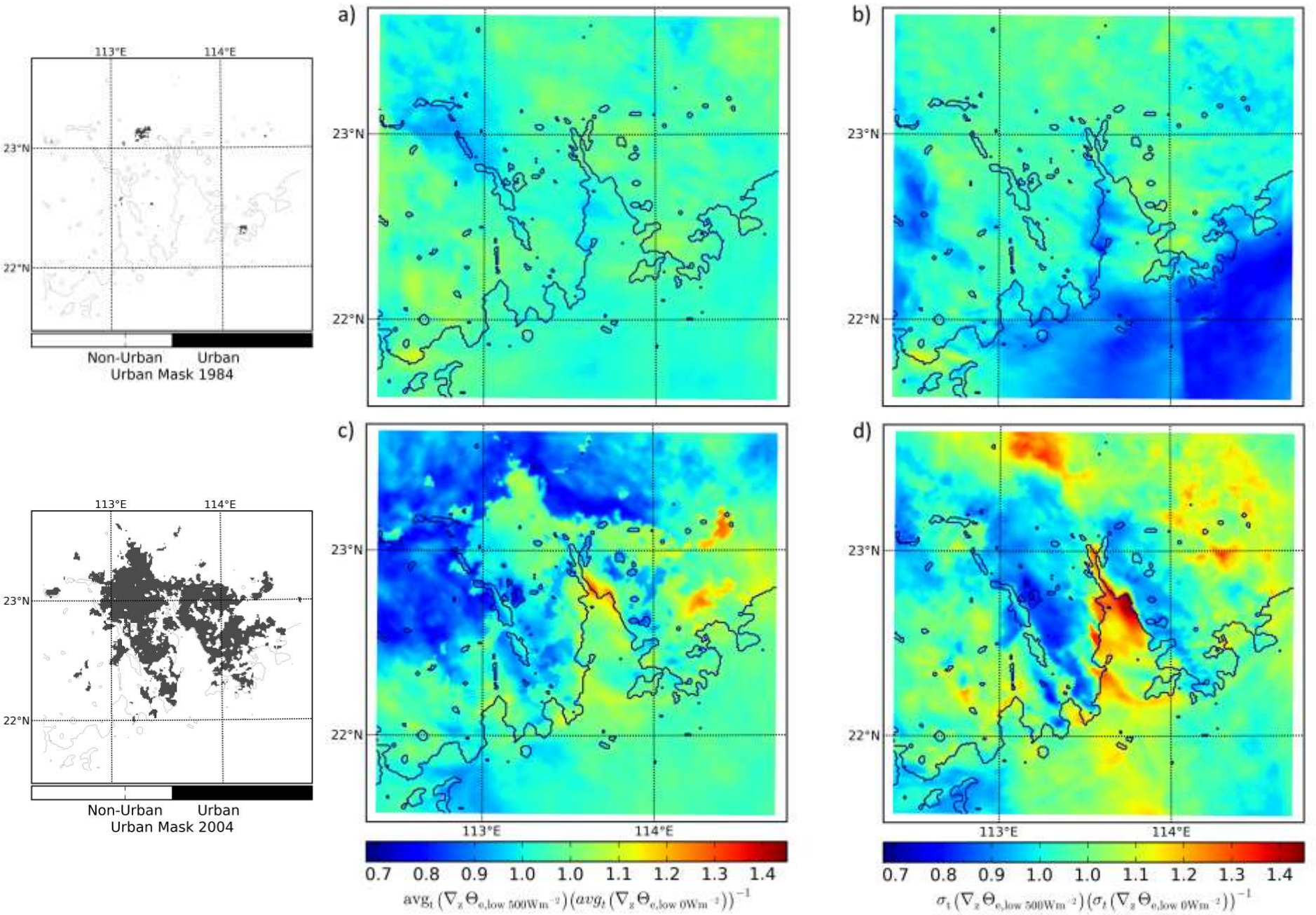
Convection not triggered locally

Advection >> Convection

Holst et al., 2017

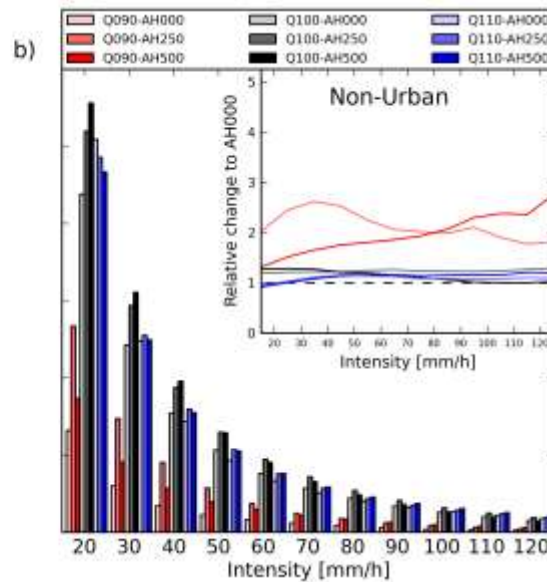
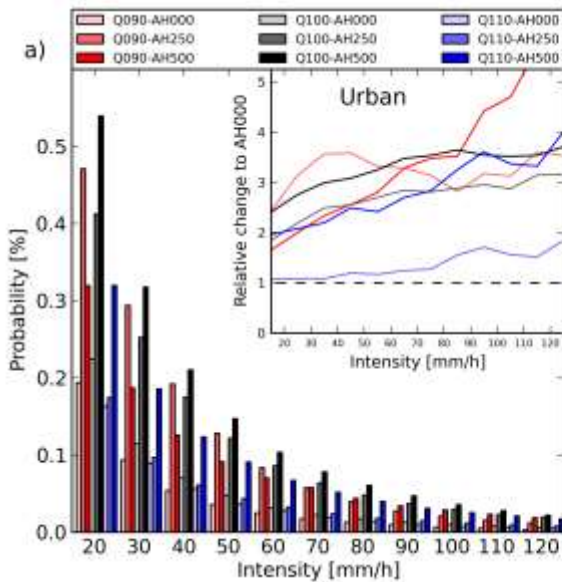
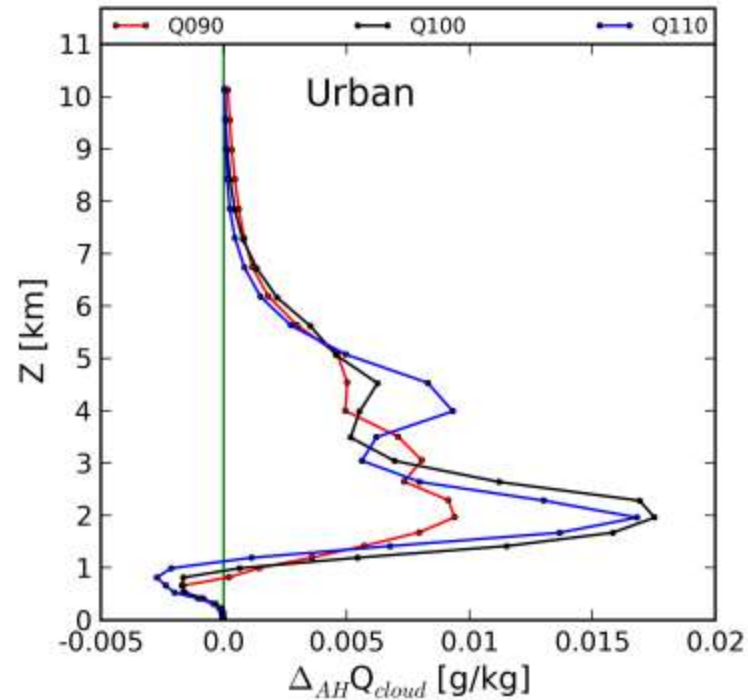


# Urban spatial extent impact on stability



# AH vs. global forcing

Cloud water mixing ratio and PR1 statistics show:  
 AH effect robust in different moisture regimes

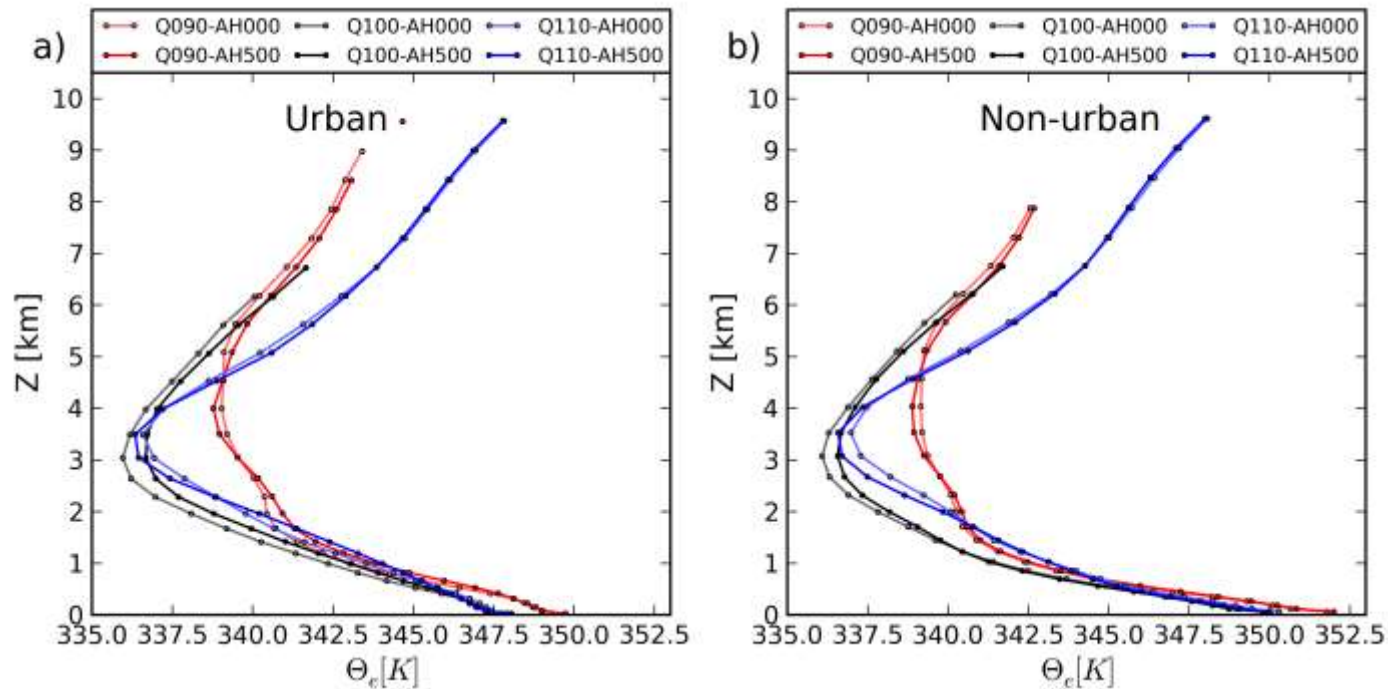


In dryer simulation:  
 AH effect propagation  
 out of the urban area  
 (advection effect)  
 Refer to METROMEX



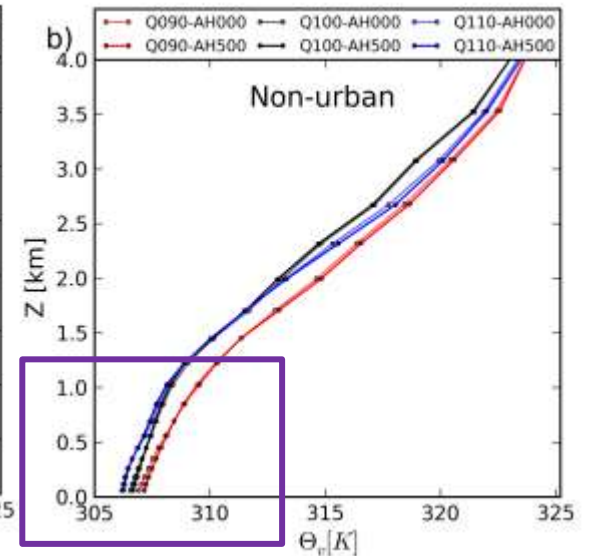
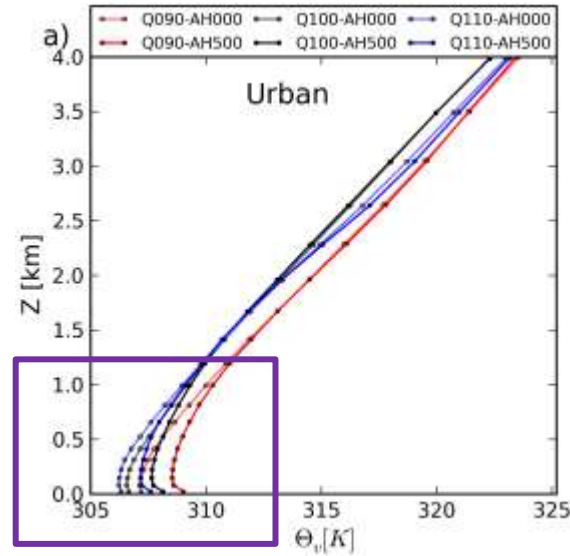
# Atmospheric stability

Dry simulations more unstable near sfc and less unstable above 1500m

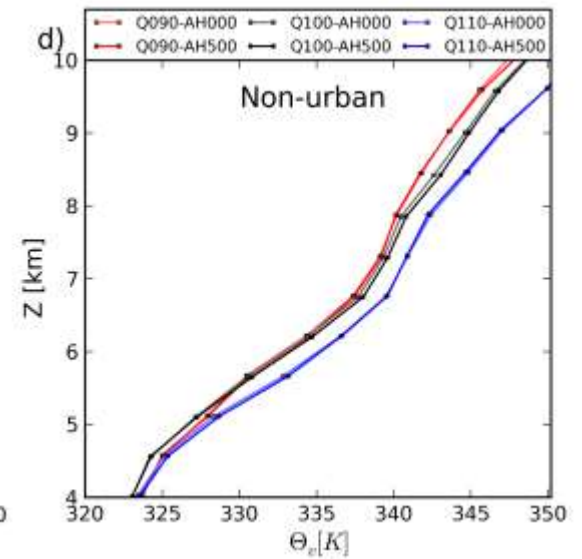
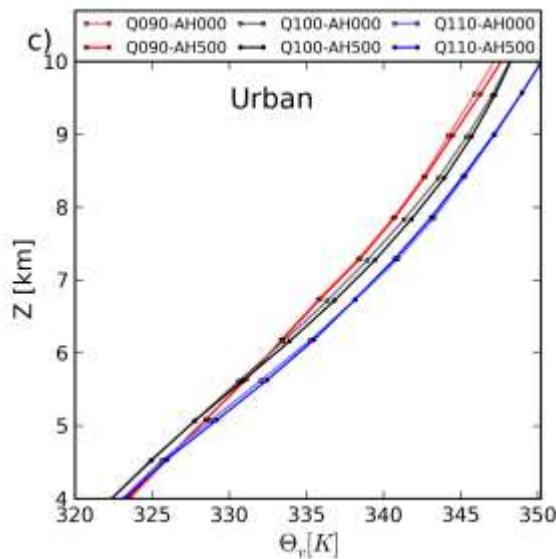


# Regarding urban heat...

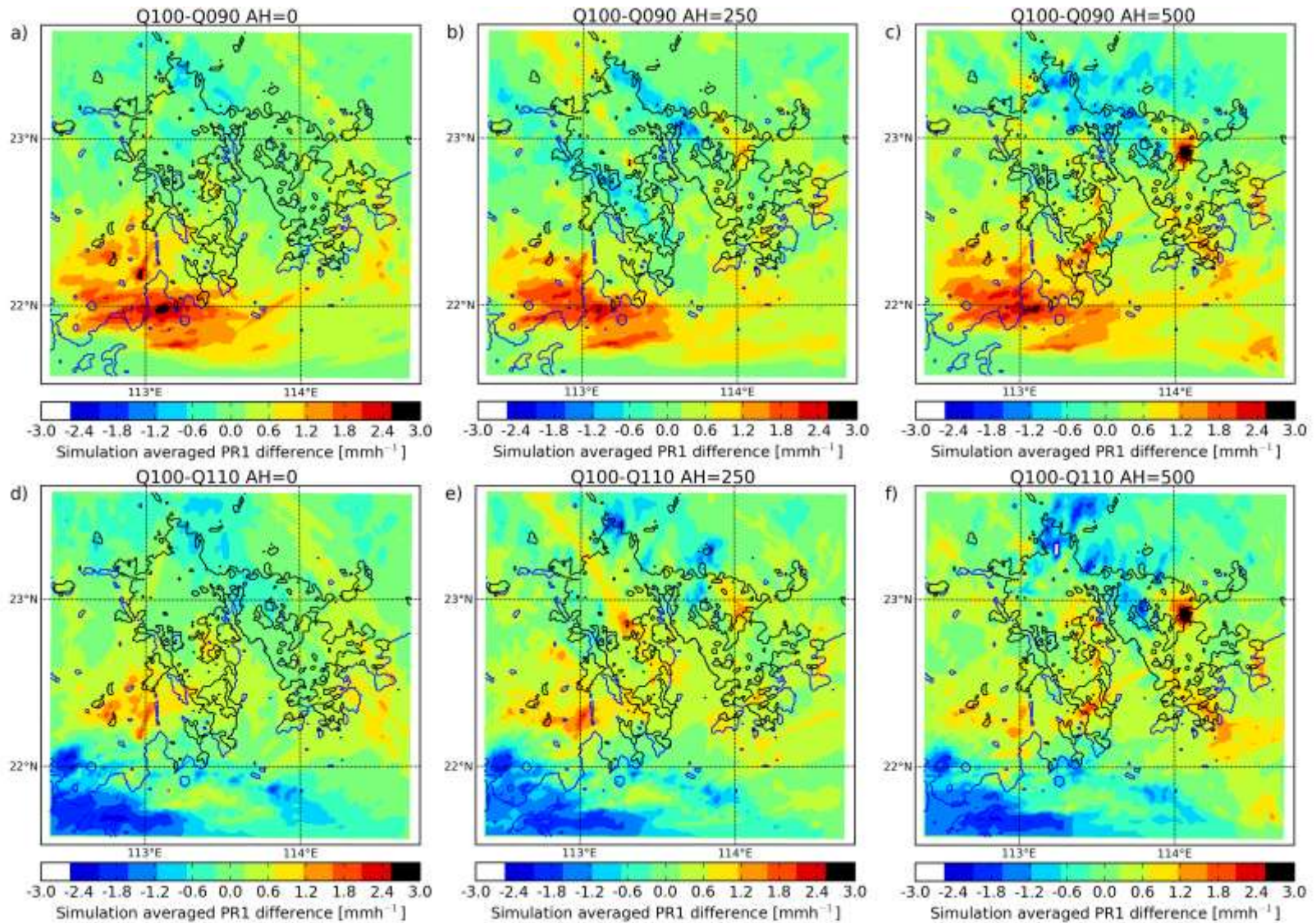
Near sfc:  
SH more important  
Dry simulation warmer  
Urban-rural difference larger



Above LCL:  
LH more important  
Wet simulation warmer



# Effects on advection is intricate





# Message to take away

“While small cities may not modify their precipitation microclimate significantly, megacities seem to do so; highlighting the importance of choosing the right neighborhood.” – C. C. Holst 2015

Urban environments may affect their local and regional precipitation microclimate significantly, under certain conditions.

Factors:

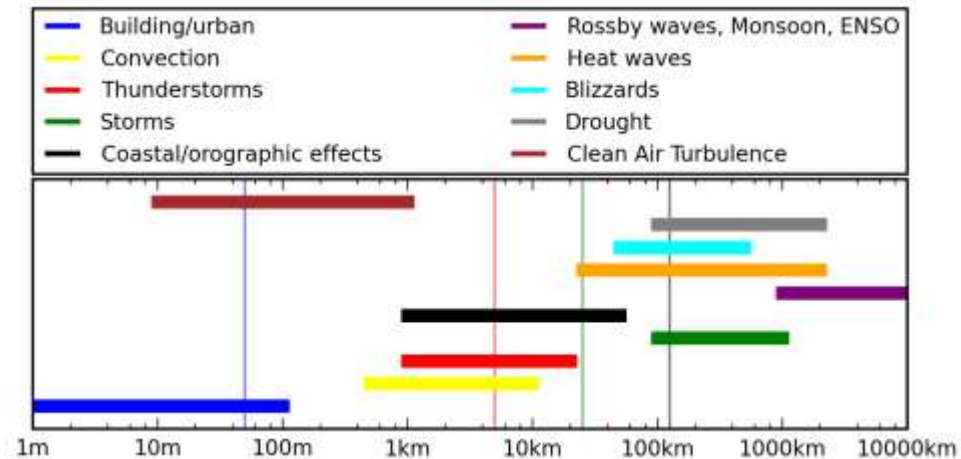
- City size
- Human activity density
- Climatic background conditions
- Geographic setting
- More...

What we should\* do:

Demonstrate the relationship between human activities and local micro-climate (attribution).

Design sufficiently simple experiments, that are conceptually accessible to non-experts and yet provide transferrable insights to scientists.

\* (but nobody likes the implications)



Black boxes:

- Droplet drag (downdrafts, micro interface-layers)
- Scaling behaviour/non-local scale interactions
- Coupling: particles (incl. sources) ⊗ precipitation



Thank you for paying attention.

## References

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# APPENDIX 1) Bougeault and Lacarere 1989: TKE

- Simplification

“1.5 order” closure  
Therry and Lacarere 1983

$$\frac{\partial e}{\partial t} = -\frac{1}{\rho} \frac{\partial}{\partial Z} \overline{\rho w' e'} - \overline{u' w'} \frac{\partial U}{\partial Z} - \overline{v' w'} \frac{\partial V}{\partial Z} + \beta \overline{w' \theta'} - \epsilon,$$

V = 0  
In Bougeault's simulation

Meso-beta scale formulation  
Bougeault and Lacarere 1989

$$\frac{\partial e}{\partial t} = -U \frac{\partial e}{\partial X} - \sigma \frac{\partial e}{\partial \sigma} - \frac{1}{\rho} \frac{\partial}{\partial Z} \overline{\rho w' e'} - \overline{u' w'} \frac{\partial U}{\partial Z} - \overline{v' w'} \frac{\partial V}{\partial Z} + \beta \overline{w' \theta'} - \epsilon.$$

$$\frac{\partial \bar{e}}{\partial t} + \frac{\partial}{\partial x_k} \left( \bar{u}_k \bar{e} + \overline{u'_k e} - \nu \frac{\partial \bar{e}}{\partial x_k} + \frac{1}{\bar{\rho}} \overline{u'_k p'} \right) = -\overline{u'_k u'_i} \frac{\partial \bar{u}_i}{\partial x_k} + \frac{g}{\bar{\theta}} \overline{u'_3 \theta'} - \nu \left( \frac{\partial \overline{u'_i}}{\partial x_k} \right)$$

Derived from Navier-Stokes (General form)

- Parameterization

Einstein summation convention for u, i = 1,2,3

Choose a scheme that does take into account:  
Buoyancy and shear generation, advection and dissipation of TKE

$$\overline{w' \theta'} = \begin{cases} -K_h \left( \frac{\partial \theta}{\partial Z} - \gamma_{cg} \right), & \text{in the convective PBL} \\ -K_h \frac{\partial \theta}{\partial Z}, & \text{elsewhere.} \end{cases}$$

$l_k$  = characteristic eddy length scale  
 $l_\epsilon$  = characteristic dispersion length scale  
 $\alpha_\epsilon = \alpha_\tau = 1$  = inverse Prandtl number  
 $\gamma_{cg}$  = counter gradient correction (Deardorff 1972)

# APPENDIX 1a) Length Scales

Stratification: Buoyancy limits to atmospheric motion (upwards, downwards):

$$\int_Z^{Z+l_{up}} \beta(\theta(Z) - \theta(Z')) dZ' = e(Z),$$

$$\int_{Z-l_{down}}^Z \beta(\theta(Z') - \theta(Z)) dZ' = e(Z),$$

Possible advection distance of parcel with layer-average TKE (Buoyant limit)

Length scales should be somewhat in the range of these lengths

Choose:

$$l_K = \min(l_{up}, l_{down})$$

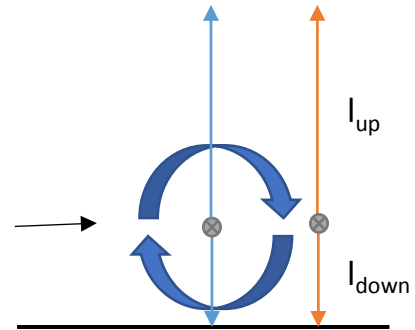
Eddies: near walls; smaller length scale limiting the motion

$$l_\epsilon = (l_{up} l_{down})^{1/2}$$

Dissipation: geometric mean (controversial)

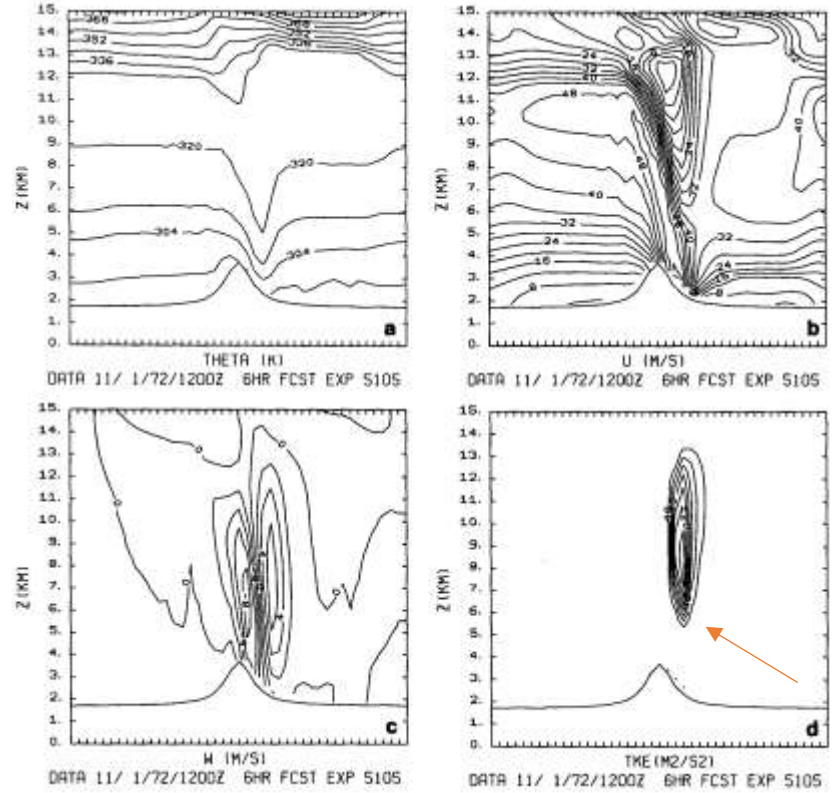
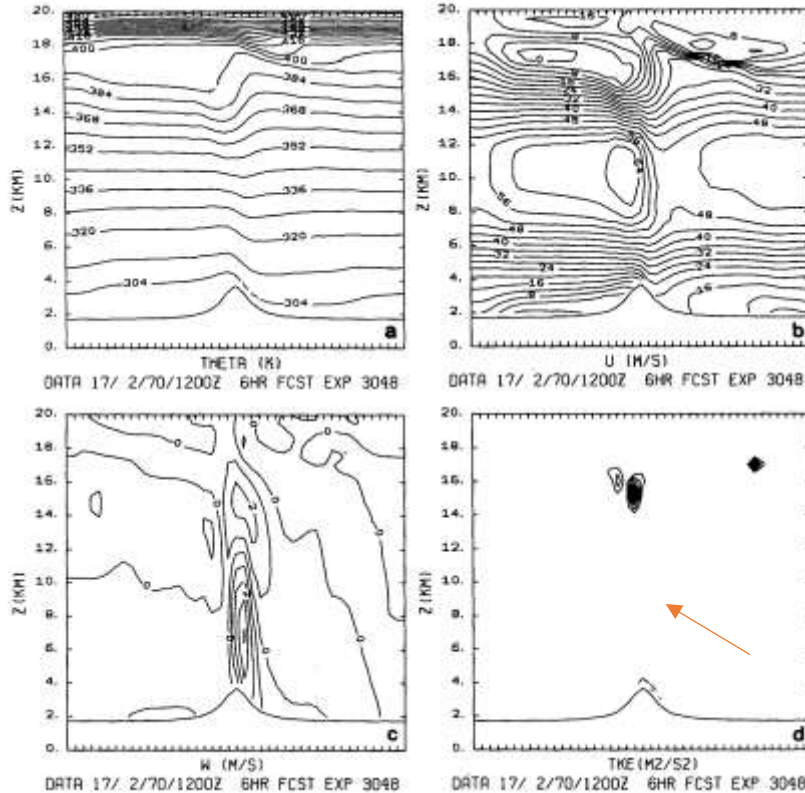
Proportional to buoyancy length scale related to stratification

$$l_B = e^{1/2} \left( \beta \frac{\partial \bar{\theta}}{\partial Z} \right)^{-1/2}$$





# APPENDIX 1b) Two stationary mountain wave simulations from Bougeault and Lacarrere 1989



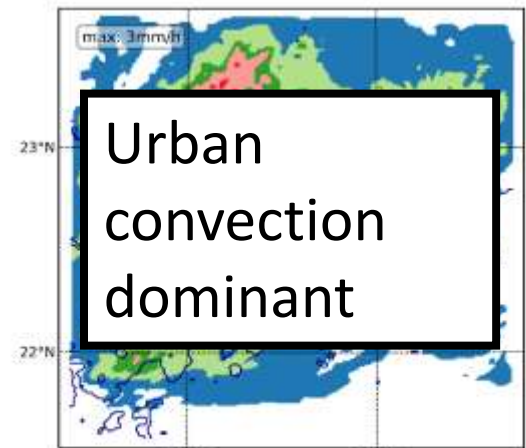
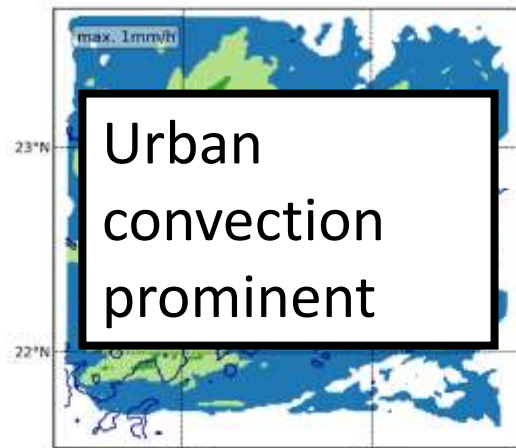
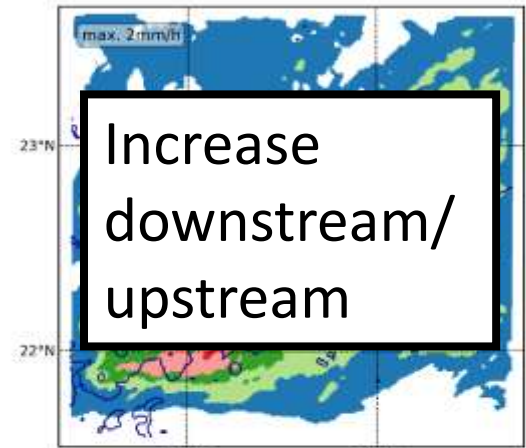
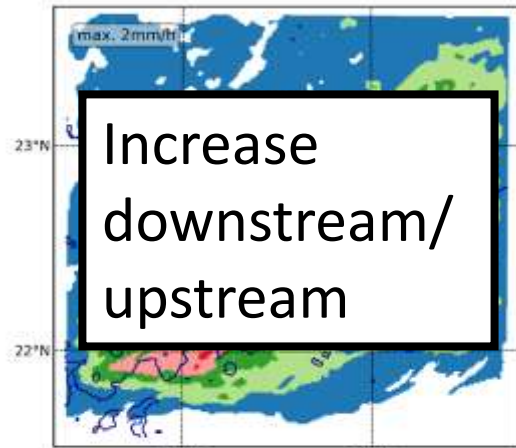
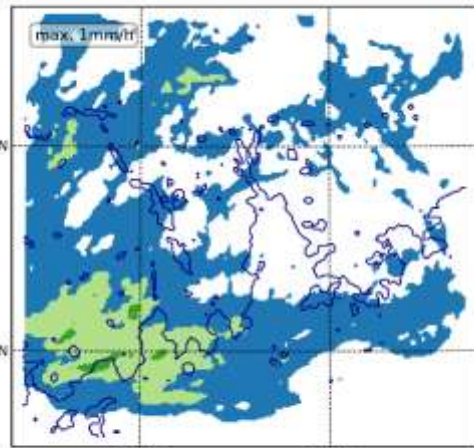
Bougeault and Lacarrere's scheme:  
Produces reasonable topography wakes  
(Related to Shear or Mechanical Production of TKE)

# APPENDIX 2) Accumulated (simulation-mean) precipitation

0  $\text{Wm}^{-2}$

50  $\text{Wm}^{-2}$

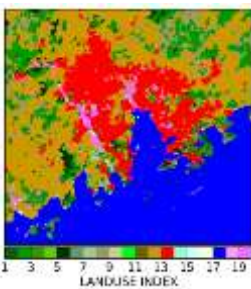
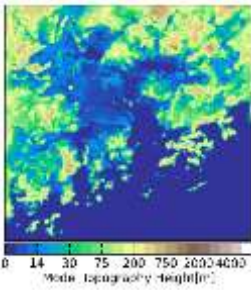
100  $\text{Wm}^{-2}$



250  $\text{Wm}^{-2}$

500  $\text{Wm}^{-2}$

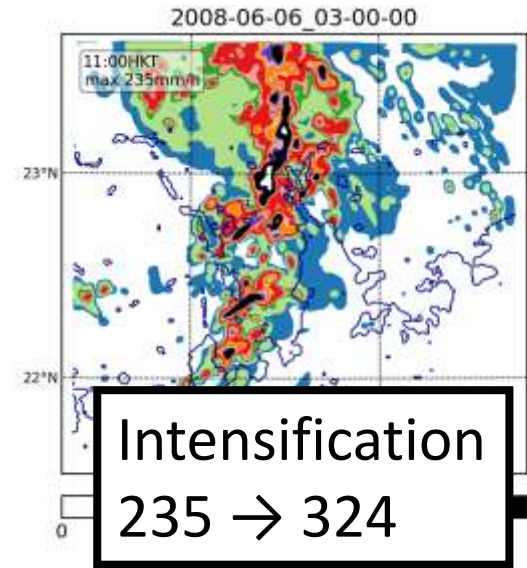
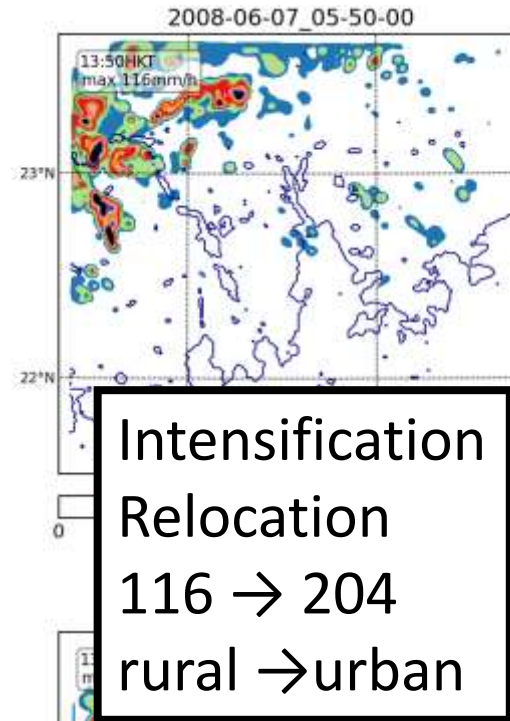
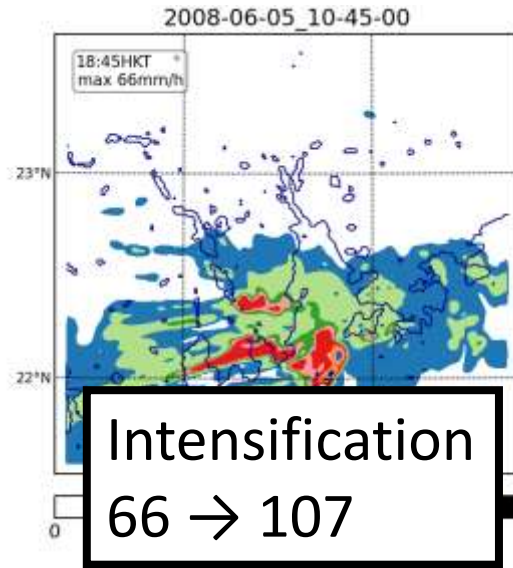
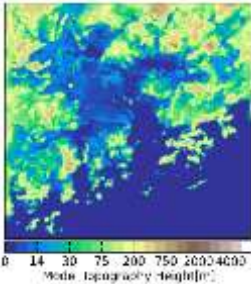
1  $\text{kWm}^{-2}$



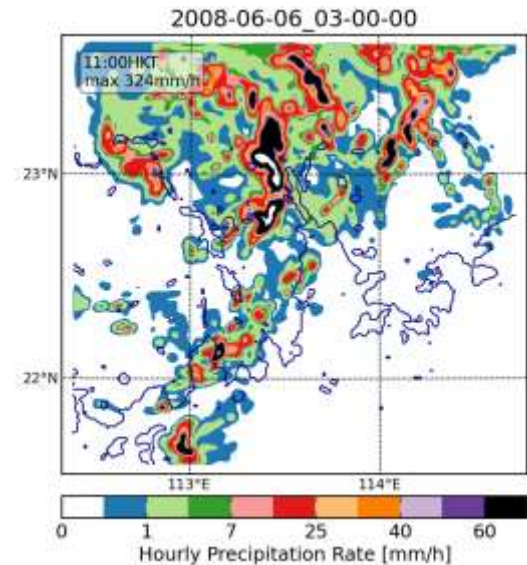
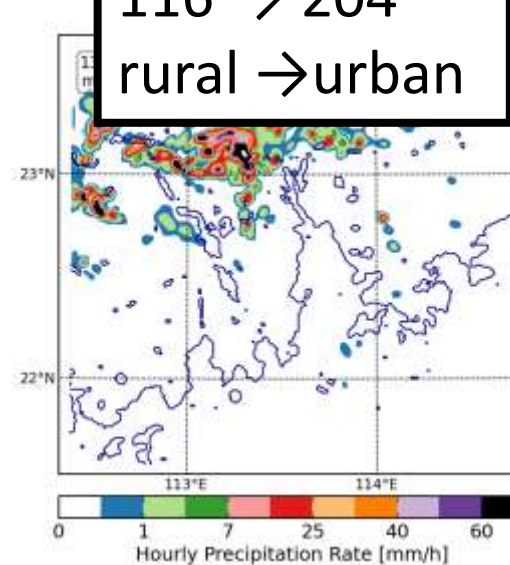
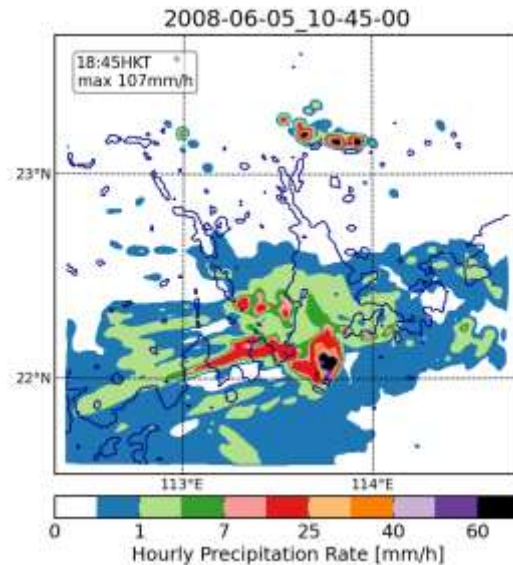
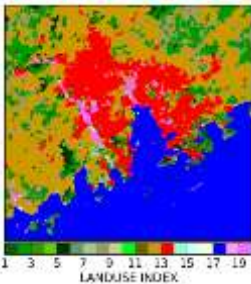


# APPENDIX 2a) Snapshot comparison

0 Wm<sup>-2</sup>



500 Wm<sup>-2</sup>



#1

#2

#3



## APPENDIX 3) Explanation slide

$$\text{Rif} = \frac{\overline{\beta w' \theta'}}{\frac{\partial \bar{u}}{\partial z} \overline{w' u'} + \frac{\partial \bar{v}}{\partial z} \overline{w' v'}}$$

The (bulk) Richardson flux number

Ratio of TKE production terms

Buoyancy flux / shear flux

Transition between stable/unstable conditions in the atmosphere

Related to convection

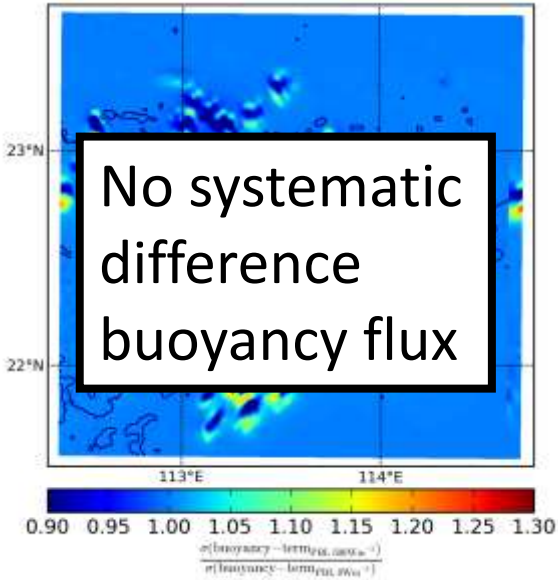
Application: Take standard deviation  $\sigma$  in time of Rif (within the PBL)

Larger  $\sigma$ -values: More shifts between convective and non-convective states

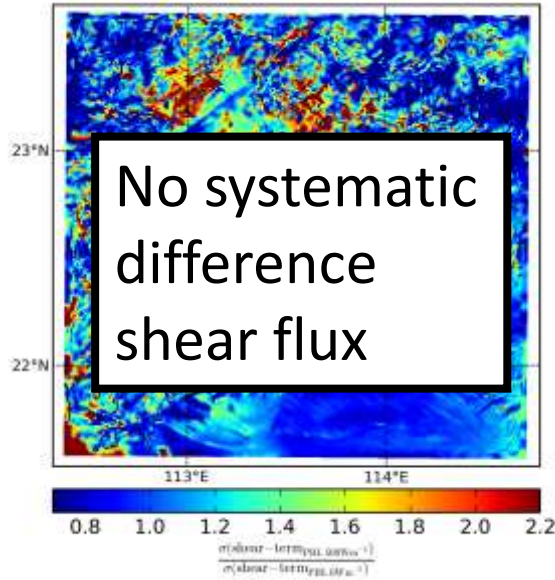
Related to “activity” of convection

# APPENDIX 3a) Convection

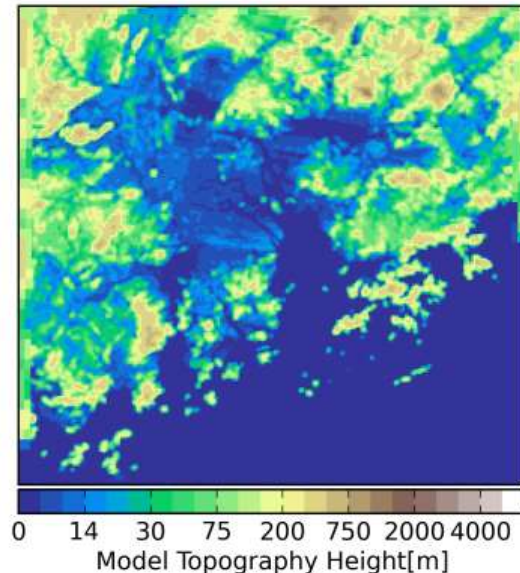
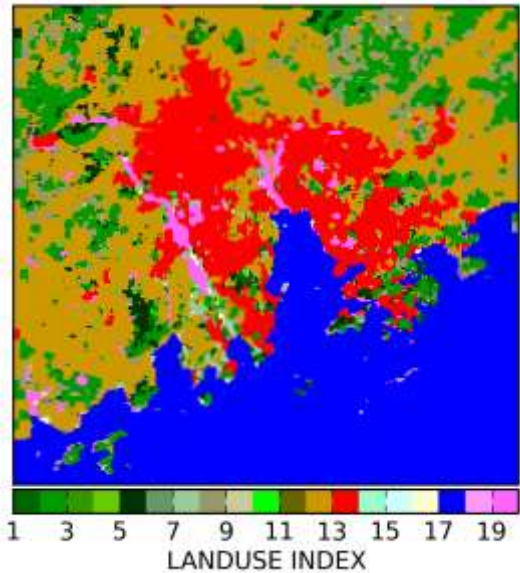
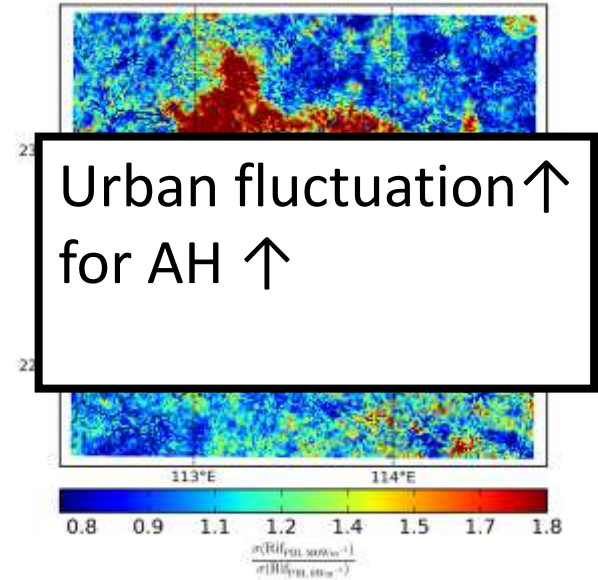
$$\beta \overline{w'\theta'}$$



$$\frac{\partial \bar{u}}{\partial z} \overline{w'u'} + \frac{\partial \bar{v}}{\partial z} \overline{w'v'}$$



$$Rif = \frac{\beta \overline{w'\theta'}}{\frac{\partial \bar{u}}{\partial z} \overline{w'u'} + \frac{\partial \bar{v}}{\partial z} \overline{w'v'}}$$



Plots of  $\frac{\hat{\alpha}}{\tilde{\alpha}}$  with

$$\begin{cases} \hat{\alpha} = \sigma_{t,x,y}([\alpha_{0Wm^{-2}}]_{z<H}) \\ \tilde{\alpha} = \sigma_{t,x,y}([\alpha_{500Wm^{-2}}]_{z<H}) \end{cases}$$